Assessing the need for repeatability in acquisition geometry of 4D (time-lapse) seismic data

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Outline

- 4D Seismic
- Problem Statement
- Methodology
- Experiment
- Results
- Conclusion
- Future work



Time-lapse (4D) Seismic

- seismic data acquired at different times over the same area
- to assess changes in the subsurface with time



Time-lapse (4D) Seismic

- fundamentally interested in fluid movement, pressure and temperature changes
- requires acquisition to be repeatable for baseline and monitor surveys



Why repeatability?

- repeatability is required to mitigate false events
- only interested in reservoir property changes or attributes related to fluid content



Problem statement

- Let's assume there is no observable 4D change in the earth model
- Since Compressed Sensing (CS) proposes randomization of the experiments
- Do we need to repeat our randomized sampling during monitor survey?
- If not, what is the *quality* of the *recovery* of the 4D effect as a function of the *subsampling* ratio?



Methodology

- Investigate the effect of repeating the acquisition when there is an expected fluid change
- Study the effect of two different acquisitions when there is no expected fluid change
- Assess the effect of two different acquisitions when there is an expected fluid change
- In case of periodic and randomized sampling

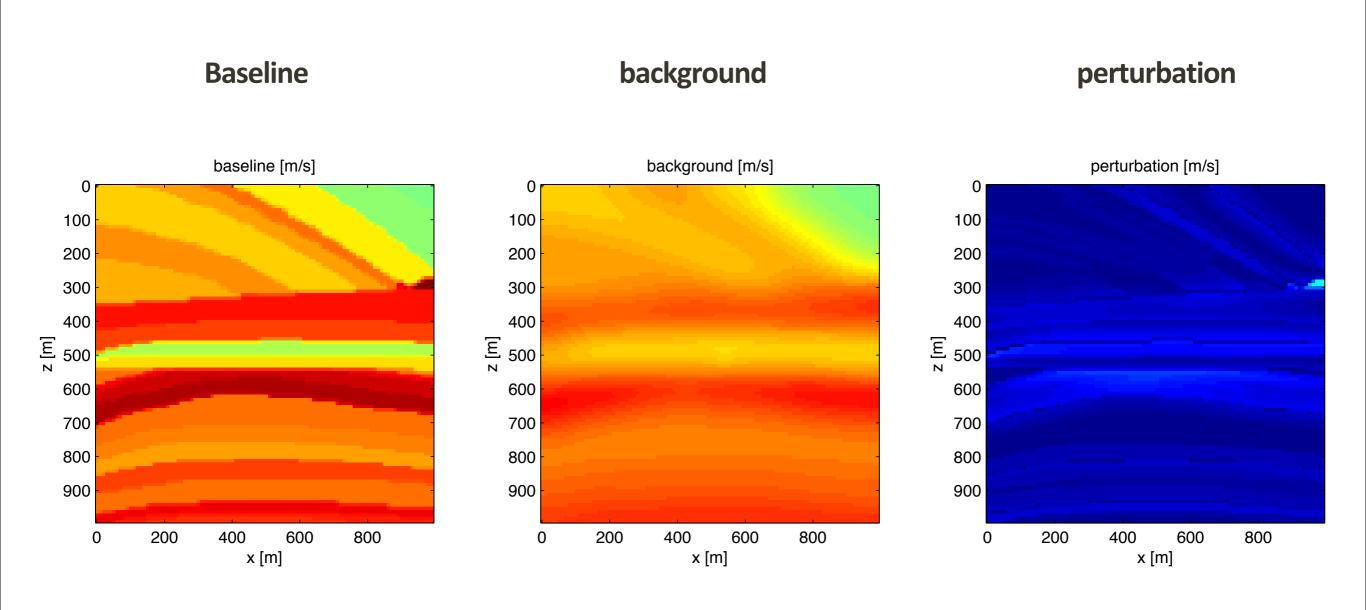


Modeling

- We assume that the *smooth* background velocity doesn't change for both baseline survey and monitor survey
- different perturbation of background to get baseline and monitor velocity models

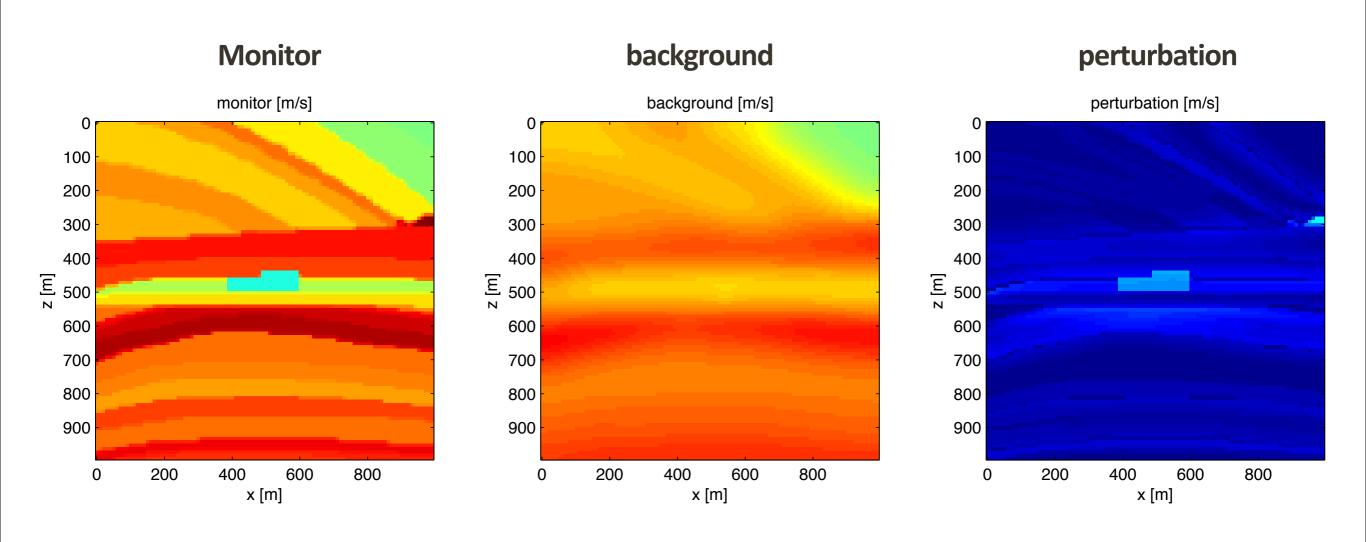


Baseline, smooth background and perturbation





Monitor, smooth background and perturbation





Some modeling parameters

- Number of shot points 50
- Number of receivers 100
- Frequencies 5,10, 15, and 20Hz
- 1km X 1 km grid for velocity model

Imaging

- Since the background velocity doesn't change
- Let $m_0, m_b, \text{ and } m_m$ represent the slowness for the smooth background, baseline and monitor velocity models respectively

slowness (s^2/m^2) is defined as $\frac{1e6}{v^2}$ where v is the velocity.

Imaging

 We perform RTM on the residual data from the baseline

 $F[m_b] - F[m_0]$ and monitor

 $F[m_m] - F[m_0]$ velocity models

results are shown as RTM
Images all at the same scale

F is the forward modeling operator



Data acquisition

- Case 1 data is *fully* sampled during *baseline* and *monitor* surveys
- Case 2 data is randomly sampled as proposed by Compressed Sensing
- Consider three scenarios for each

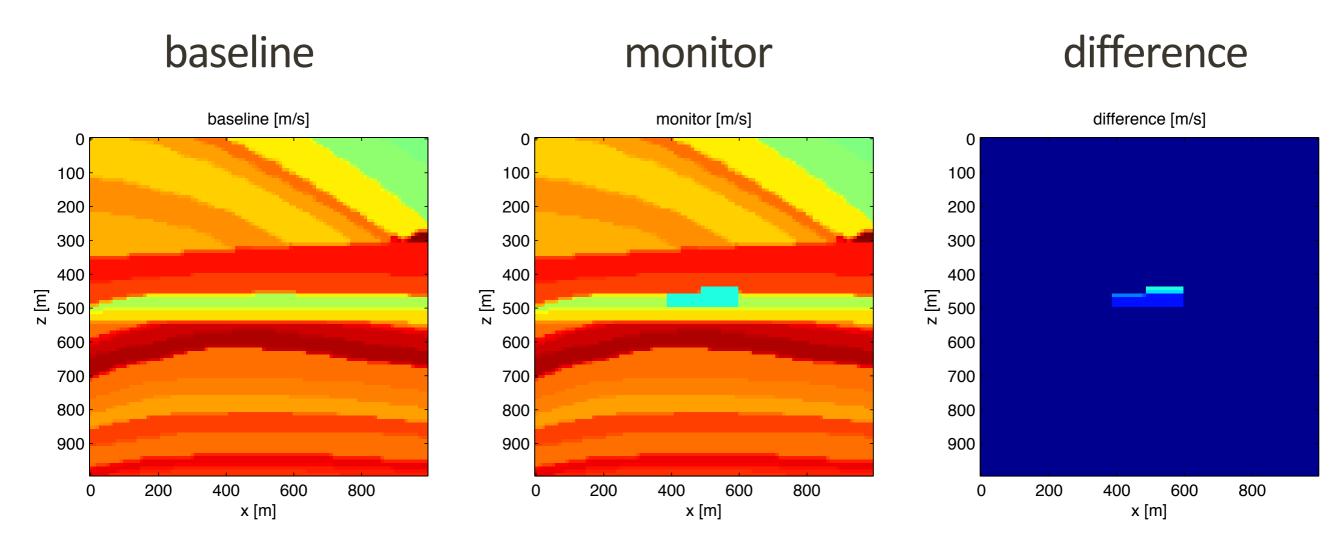
Full Periodic Sampling

Scenario 1

 When there is a 4D change, what happens when we repeat the sampling for both baseline and monitor surveys as a function of receiver spacing and position?



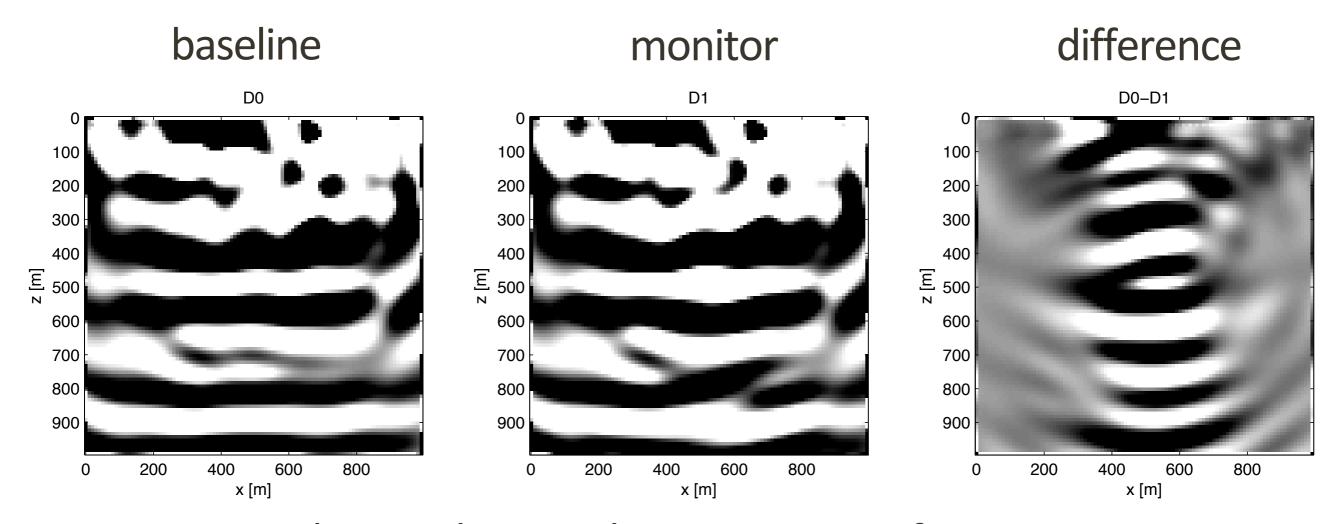
Velocity Model - with a 4D change



observe the 4D change, all plots at the same colour scale



Periodic sampling baseline at 10m, monitor at 10m



this emphasizes the importance of repetition

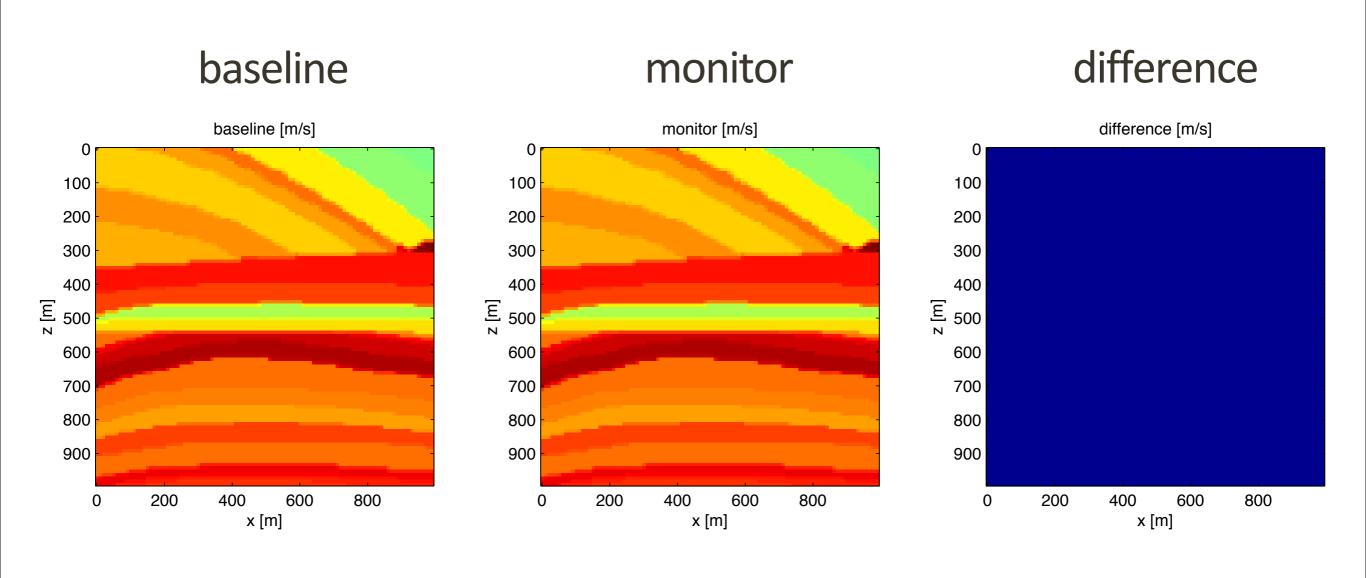
Full Periodic Sampling

Scenario 2

 When there is no 4D change, what happens, if we do not repeat the sampling for both baseline and monitor surveys?



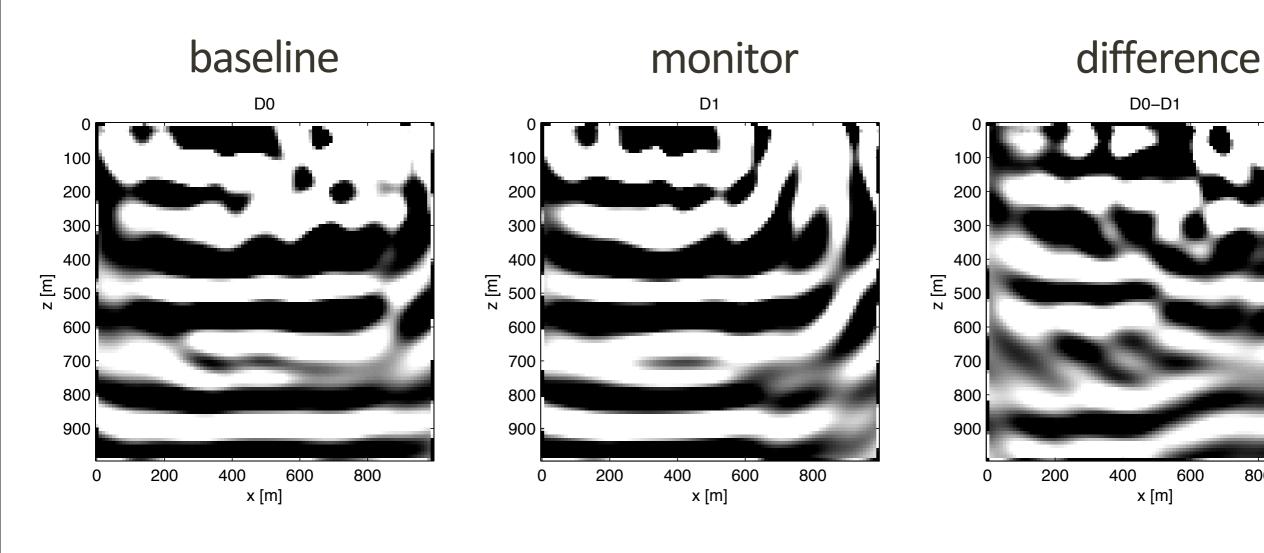
Velocity Model - with no 4D change





800

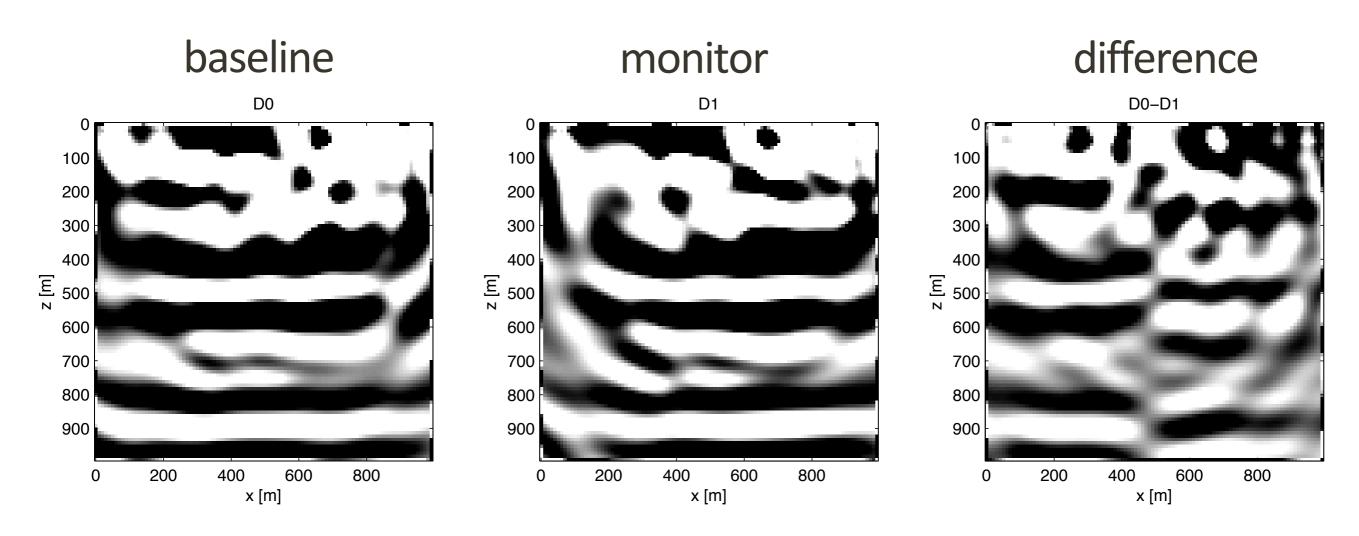
Periodic sampling baseline at 10m, monitor at 5m





Periodic sampling

baseline at 10m, monitor at another 5m



we see acquisition imprints, despite no fluid changes

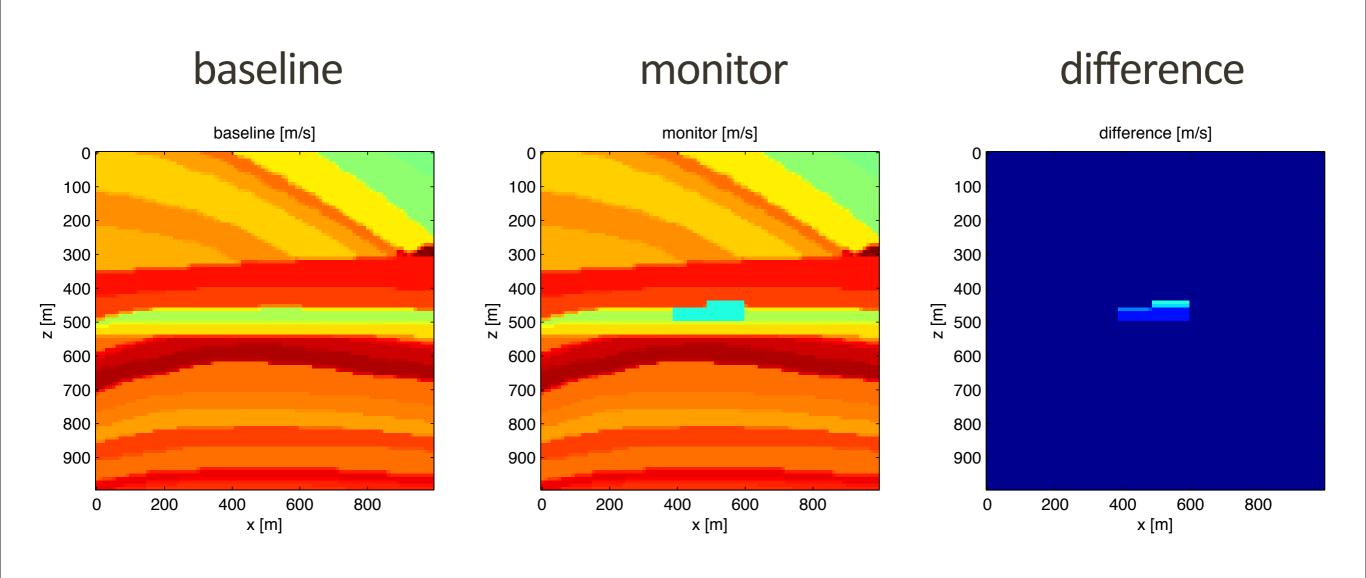
Full Periodic Sampling

Scenario 3

 When there is a 4D change, what happens when we do not repeat the sampling for both baseline and monitor surveys?

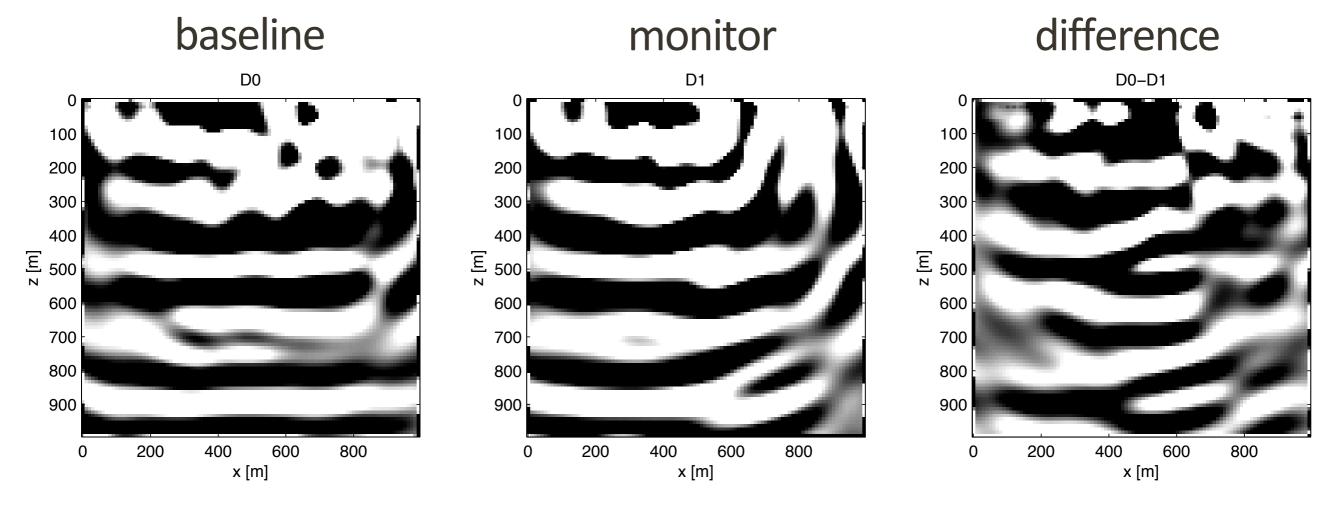


Velocity Model - with a 4D change





Periodic sampling baseline at 10m, monitor at 5m

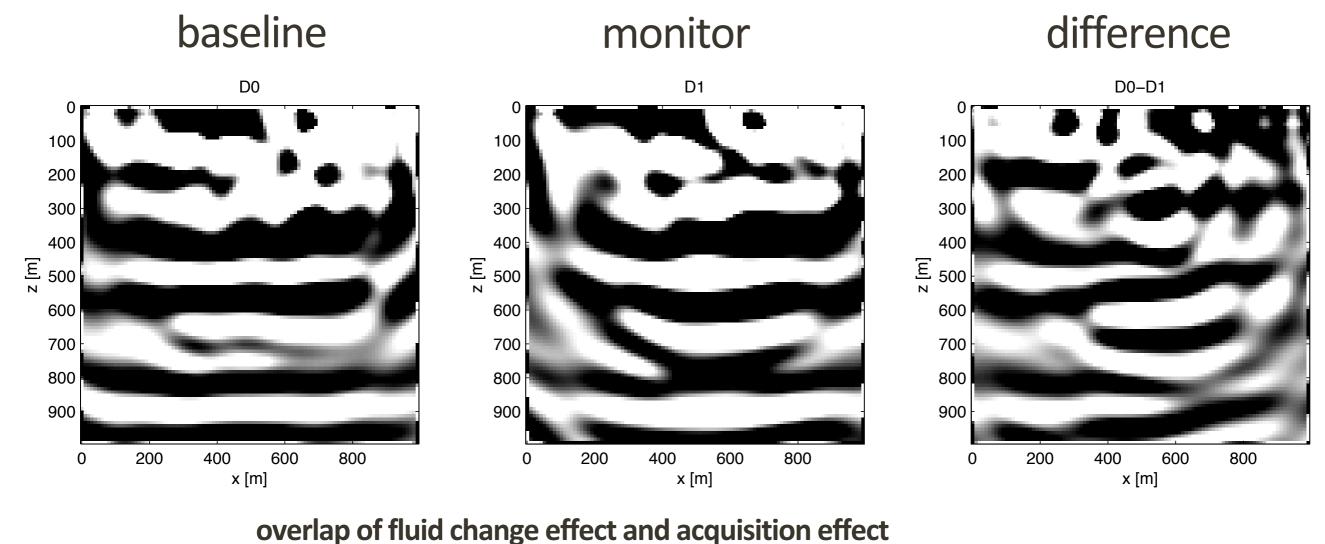


we see acquisition imprints, together with fluid changes



Periodic sampling

baseline at 10m, monitor at another 5m





Randomized sampling

- Again, we shall look at the three scenarios shown for fully periodic sampling
- We shall show results as sampling ratio increases

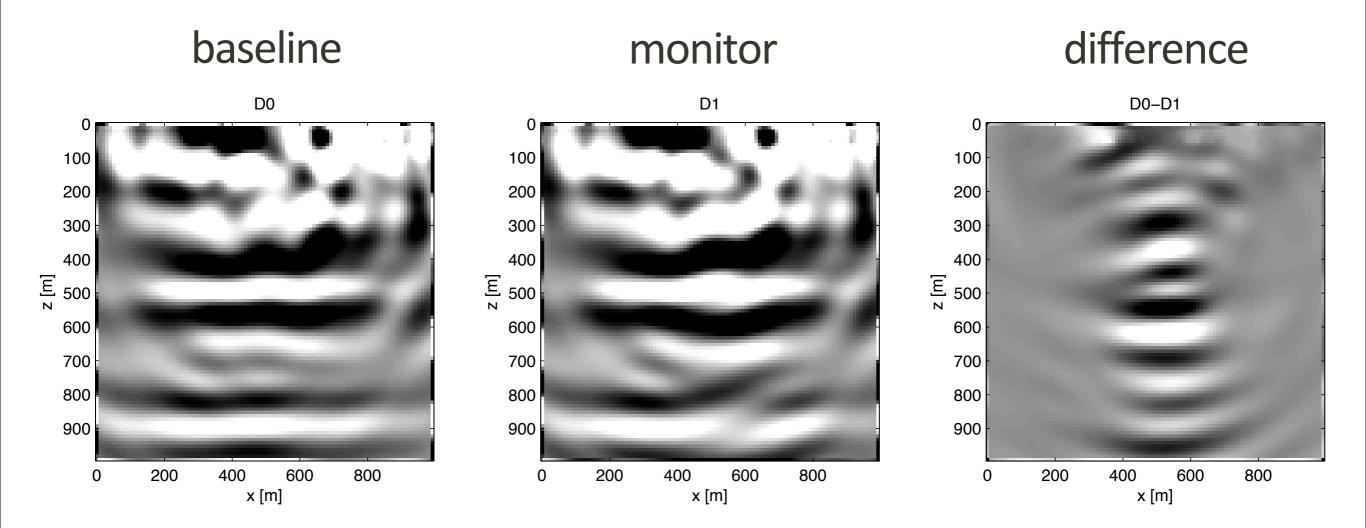


Scenario 1

 When there is a 4D change, what happens if we repeat the randomized sampling for both baseline and monitor surveys?

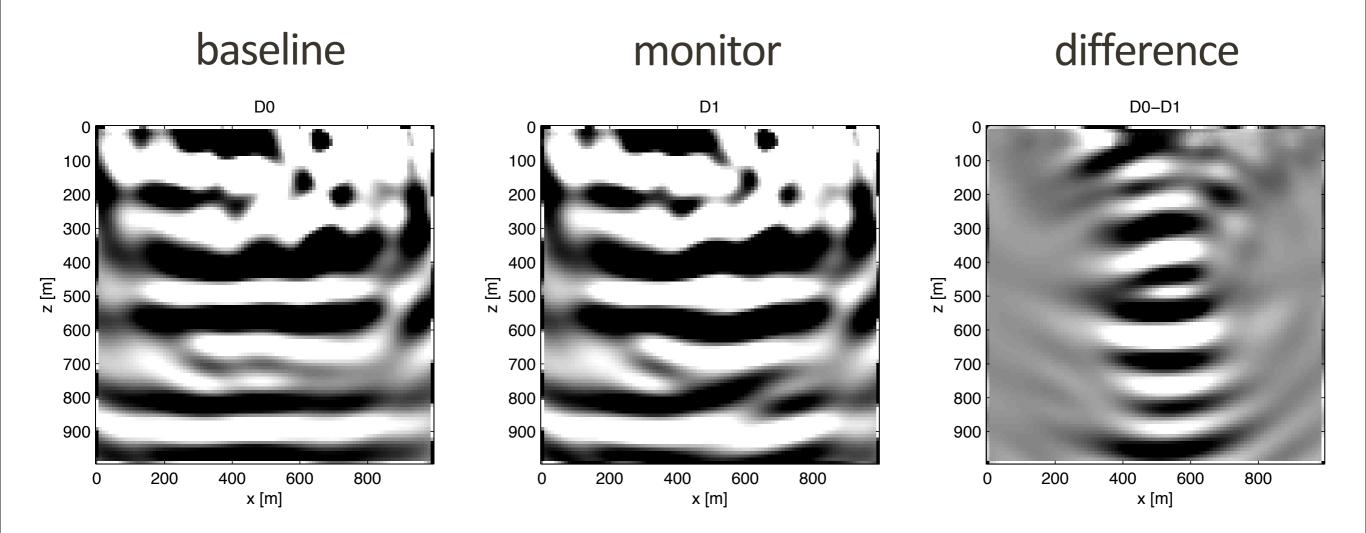


Randomized sampling 25% sampling

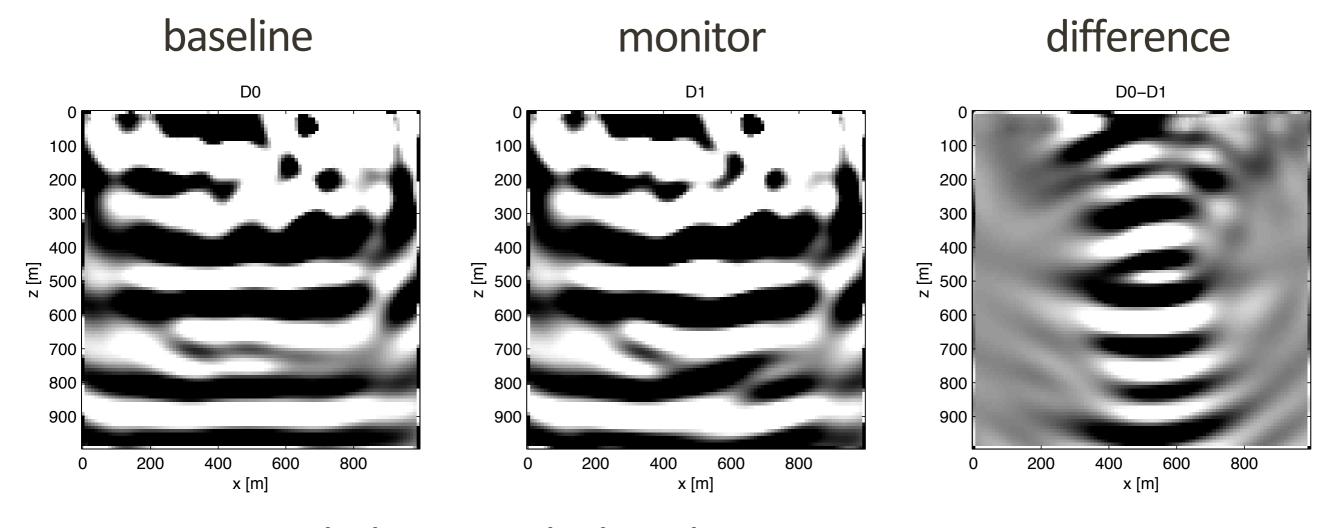




Randomized sampling 50% sampling



Randomized sampling 75% sampling



clearly we can resolve the 4D change

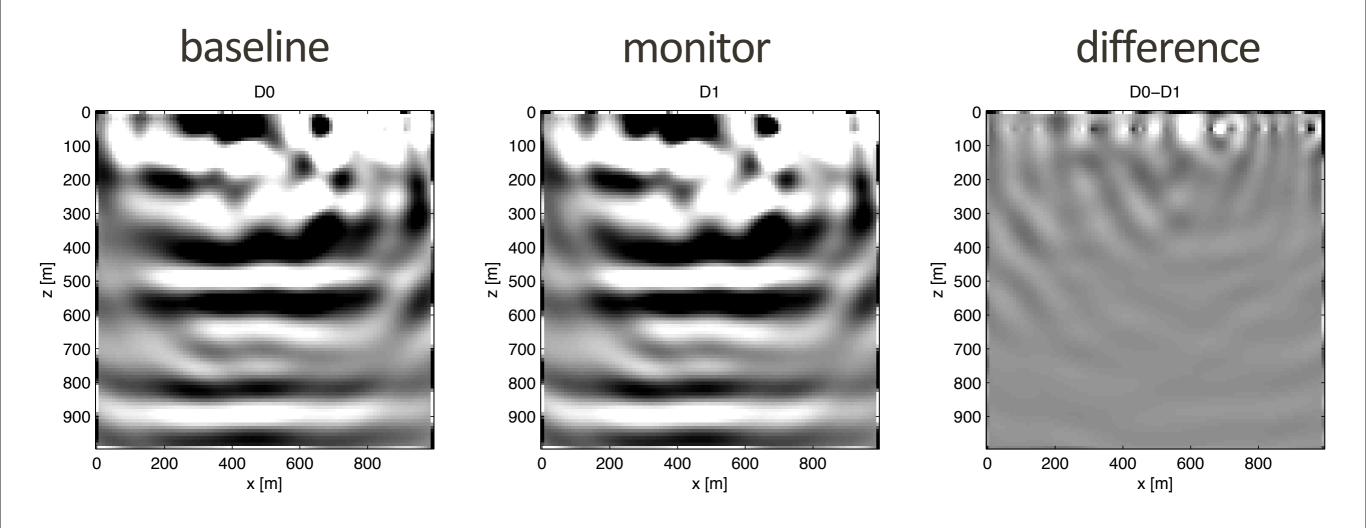


Scenario 2

 When there is no 4D change, what happens if we do not repeat the randomized sampling for both baseline and monitor surveys?

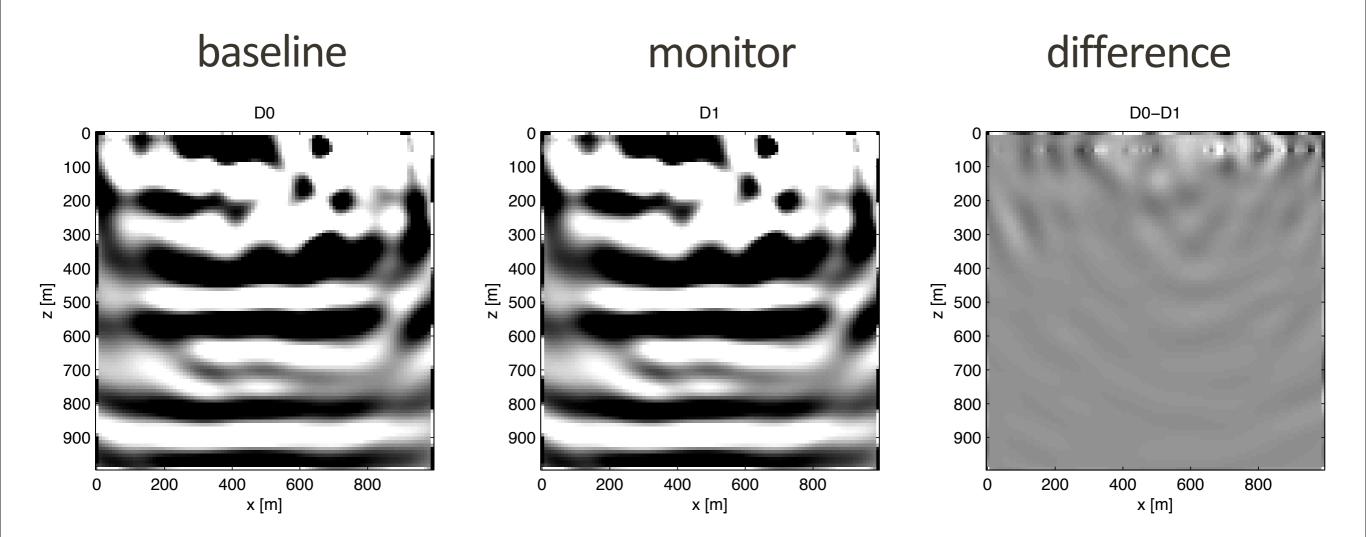


Randomized sampling 25% sampling



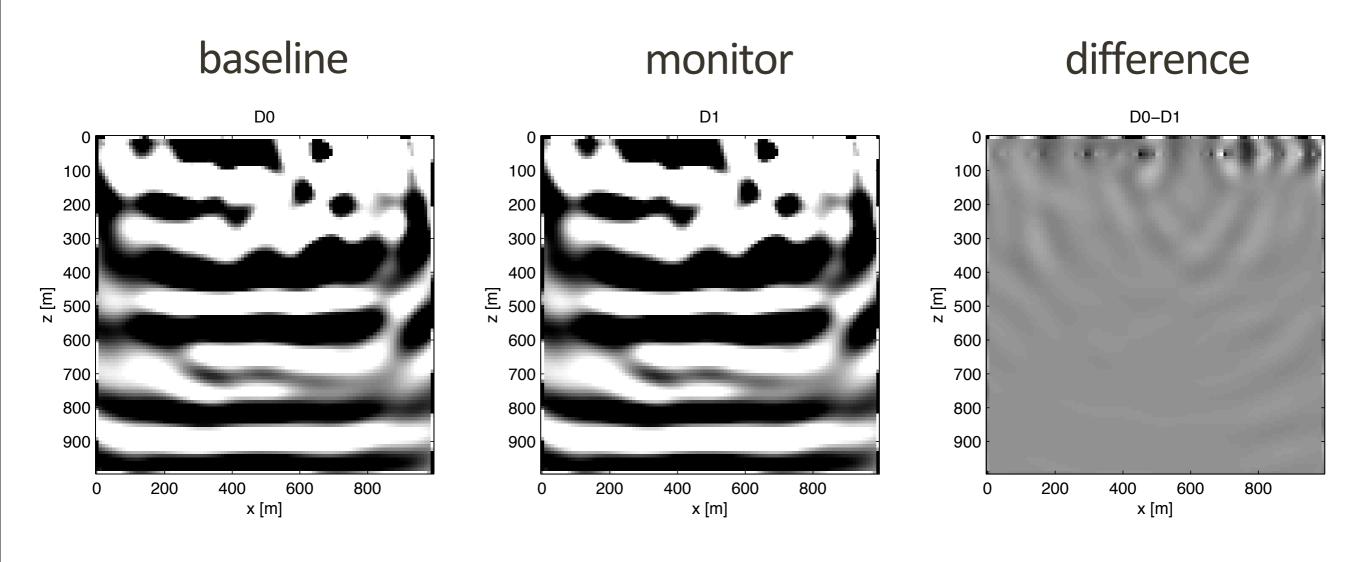


Randomized sampling 50% sampling





Randomized sampling 75% sampling



clearly we can resolve that there was no 4D change

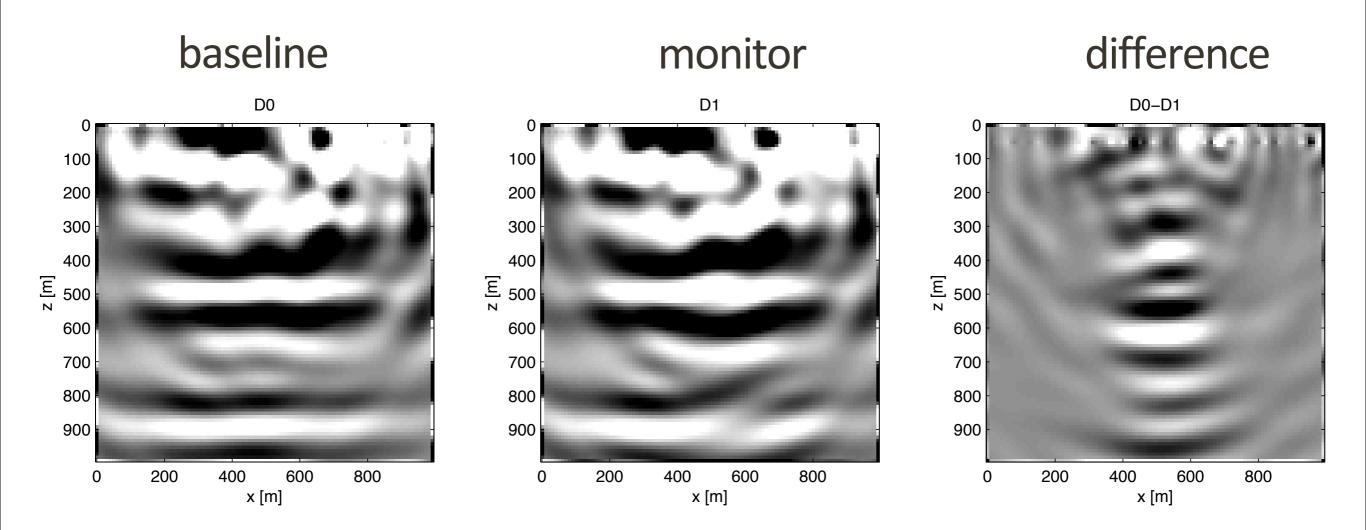


Scenario 3

 When there is a 4D change, what happens if we do not repeat the random sampling for both baseline and monitor surveys?

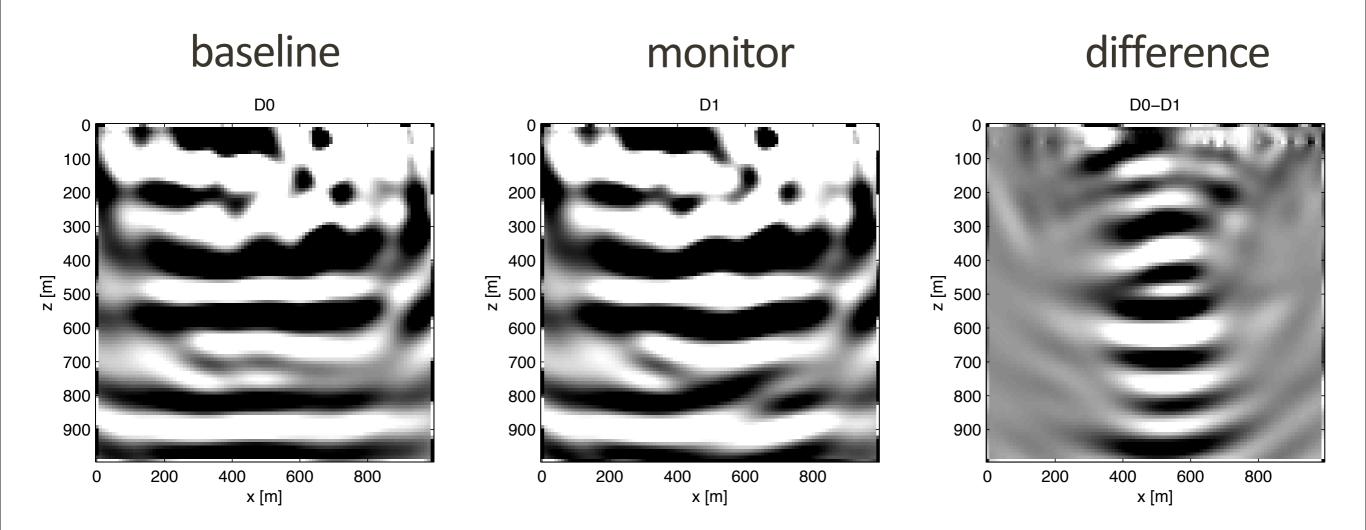


Randomized sampling independent 25% samplings



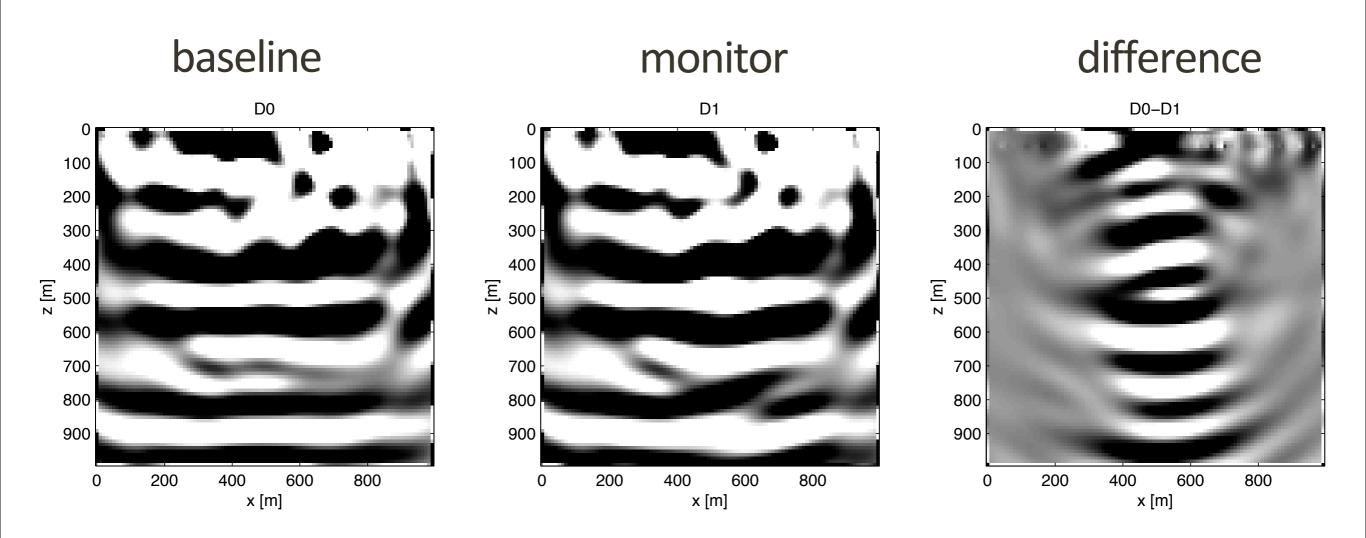


Randomized sampling independent 50% samplings





Randomized sampling independent 75% samplings





Conclusions

 Repeatability is very important if we are to fully sample periodically, in order to delineate true time-lapse changes in the medium



Conclusions

- As subsampling ratio decreases, repeatability of the randomized samplings may no longer be a necessary criterium to resolve any 4D changes
- We have seen satisfactory results for 50% and 75%



Future Work

- Detect 4D changes in noisy environments with high subsampling ratios
- Improve on resolution of 4D images
- Extend to randomized simultaneous marine acquisition with randomized OBN



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